

## Method to Estimate Sediment Storage Volume for Rock Filter Dams and Stone Check Dams

$$V_1 = \frac{1}{27} \left[ \frac{W_1 S_p L_1^2}{2} + \frac{S_p^2}{6 S_{xf}} L_1^3 + \frac{S_p^2}{6 S_{xb}} L_1^3 \right]$$

Rock filter dams and stone check dams are of like shape, so their storage volume equations are identical. Note from Figure-1 below, the total volume:  $V_t = V_1 + V_2$ . Note that  $V_1 \gg V_2$ . Although  $V_2$  is negligible, it can be calculated similarly.

- $V_1$  – Sediment storage volume above ditch (yd<sup>3</sup>).
- $W_1$  – Ditch bottom width (ft).
- $S_p$  – Profile slope of ditch (ft/ft).
- $L_1$  – Distance sediment can be stored from the toe of dam (ft).
- $S_{xf}$  – Ditch foreslope (ft/ft).
- $S_{xb}$  – Ditch backslope (ft/ft).
- $S_{cd}$  – Check dam face slope (ft/ft).
- $d$  – Sediment storage height of dam (ft) where  $S_p L_1 \leq d$ .
- $a$  – Horizontal distance of ditch foreslope (ft).
- $b$  – Horizontal distance of ditch backslope (ft).

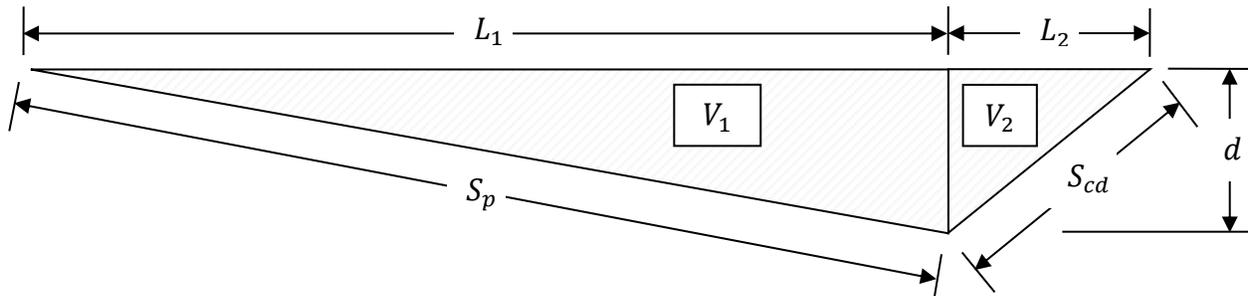


Figure-1: Profile View of the Ditch – (Not to Scale)

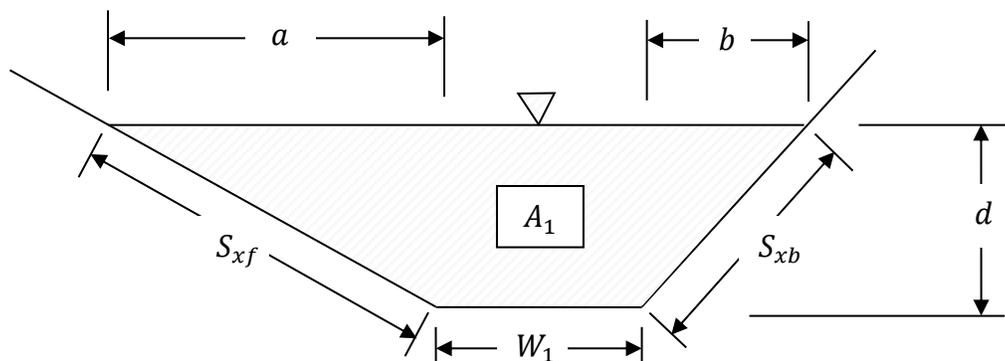


Figure-2: Cross-Section View of the Ditch at Toe of Rock Filter Dam ( $A_1$ ) – (Not to Scale)

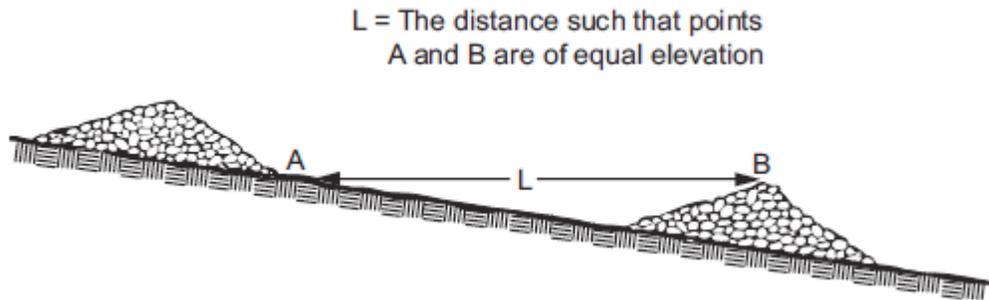


Figure-3: Spacing Between Rock Filter Dams and Stone Check Dams

To prevent backwater, as a general rule, do not space rock filter dams so the top of the downstream dam is higher than the bottom of the upstream dam.

### Derivation of Sediment Storage Formula

$$A_1 = W_1 d + \frac{1}{2} d a + \frac{1}{2} d b$$

$A_1$  is cross-sectional area of trapezoidal ditch.

$$a = \frac{d}{S_{xf}} \quad \text{and} \quad b = \frac{d}{S_{xb}}$$

Horizontal offset of foreslope and backslope.

$$A_1 = W_1 d + \frac{d^2}{2S_{xf}} + \frac{d^2}{2S_{xb}}$$

Substitute for  $a$  and  $b$  in  $A_1$ .

$$d = S_p L$$

Sediment storage height of rock filter dam.

$$A_1 = W_1 S_p L + \frac{S_p^2 L^2}{2S_{xf}} + \frac{S_p^2 L^2}{2S_{xb}}$$

Substitute for  $d$  in  $A_1$ .

$$V_1 = \int_{L_0=0}^{L_1} \left( W_1 S_p L + \frac{S_p^2 L^2}{2S_{xf}} + \frac{S_p^2 L^2}{2S_{xb}} \right) dL$$

$V_1$  is based on the area as a function of the storage length.

$$V_1 = \left[ \frac{W_1 S_p^2 L^2}{2} + \frac{S_p^2 L^3}{6S_{xf}} + \frac{S_p^2 L^3}{6S_{xb}} \right]_0^{L_1}$$

Integrate the equation.

$$V_1 = \frac{1}{27} \left[ \frac{W_1 S_p L_1^2}{2} + \frac{S_p^2}{6S_{xf}} L_1^3 + \frac{S_p^2}{6S_{xb}} L_1^3 \right]$$

Convert to cubic yards.



Revised October 11, 2013